2018 Level I Fact Sheet Key Facts & Formulas for the CFA® Exam

Ethical and Professional Standards

I(A) Knowledge of the law: comply with the strictest law; disassociate from violations.

I(B) Independence and objectivity: do not offer, solicit or accept gifts; but small token gifts are ok.

I(C) Misrepresentation: do not guarantee performance; avoid plagiarism.

I(D) Misconduct: do not behave in a manner that affects your professional reputation or integrity.

II(A) Material nonpublic information: do not act or help others to act on this information; but mosaic theory is not a violation.

II(B) Market manipulation: do not manipulate prices/trading volumes to mislead others; do not spread false rumors.

III(A) Loyalty, prudence, and care: place client's interest before employer's or your interests.

III(B) Fair dealing: treat all client's fairly; disseminate investment recommendations and changes simultaneously.

III(C) Suitability: in advisory relationships, understand client's risk profile, develop and update an IPS periodically; in fund/index management, ensure investments are consistent with stated mandate.

III(D) Performance presentation: do not misstate performance; make detailed information available on request.

III(E) Preservation of confidentiality: maintain confidentiality of clients; unless disclosure is required by law, information concerns illegal activities, client permits the disclosure.

IV(A) Loyalty: do not harm your employer; obtain written consent before starting an independent practice; do not take confidential information when leaving.

IV(B) Additional compensation arrangements: do not cept compensation arrangements that will create a conflict of in enst stw h your employer; but you may accept if written coment is obvined m all parties involved.

IV(C) Responsibilities of supervisor prevent emp. vees u der your supervision from violating lars. V(A) Diligence and reasonable bis: have a reasonable and

adequate basis for any analysis, recommendation or action.

V(B) Communication with clients and propertive clients: distinguish between fact and opinion; make appropriate disclosures.

V(C) Record retention: maintain records to support your analysis.

VI(A) Disclosure of conflicts: disclose conflict of interest in plain language.

VI(B) Priority of transactions: client transactions come before employer transactions which come before personal transactions.

VI(C) Referral fees: disclose referral arrangements to clients and employers.

VII(A) Conduct as participants in CFA Institute programs: don't cheat on the exams; keep exam information confidential.

VII(B) Reference to CFA Institute, the CFA designation, and the CFA program: don't brag, references to partial designation not allowed.

Quantitate Methods

Components of interest rates

Interest rate = real risk-free rate + inflation premium + default risk premium + liquidity premium + maturity premium

Nominal interest rate = real risk-free rate + inflation premium

Stated annual rate does not consider the effect of compounding. Effective annual rate considers compounding.

With periodic compounding, EAR = $\left(1 + \frac{\text{stated annual rate}}{m}\right)^m - 1$

With continuous compounding, $EAR = e^{stated annual rate} - 1$

Future value: value to which an investment will grow after one or more compounding periods. $FV = PV (1 + I/Y)^N$

Present value: current value of some future cash flow.

 $PV = FV / (1 + I/Y)^N$

Annuity: series of equal cash flows at regular intervals.

- **Ordinary annuity:** cash flows occur at the end of time periods.
- **Annuity due**: cash flows occur at the start of time periods.

Perpetuity: annuity with never ending cash flows. $PV = \frac{PMT}{I/Y}$

Net present value (NPV): present value of a project's cash inflows minus the present value of its cash outflows.

NPV = CF0 +
$$\left[\frac{CF1}{(1+r)^{1}}\right]$$
 + $\left[\frac{CF2}{(1+r)^{2}}\right]$ + $\left[\frac{CF3}{(1+r)^{3}}\right]$

Internal rate of return (IRR): discount rate the makes the NPV equal to zero.

$$CF0 = \left[\frac{CF1}{(1+IRR)^1}\right] + \left[\frac{CF2}{(1-R)^2}\right] + \left[\frac{CF3}{(1+IRR)^3}\right]$$

Holding period return. otal eturn for holding an investment over a given time period. HPR = $\frac{1-P_0+D_1}{P_2}$

M ney w ght | rate of r w . the IRR of a project.

Tine we ghted retern: compound growth rate at which \$1 invested in a portfolio grows over a given measurement period.

'ield neasures for money market instruments

h nk discount yield (BDY) = $\binom{D}{F} * \binom{360}{t}$ Holding period yield (HPY) = $\frac{P_1 - P_0 + D_1}{P_0}$ Effective annual yield (EAY) = $(1 + \text{HPY})^{\frac{365}{t}} - 1$ Money market yield (MMY) = HPY $\times \frac{360}{1}$

Bond-equivalent yield = 2 x Semi-annual YTM

Arithmetic mean: sum of all the observations divided by the total number of observations. $\mu = \frac{\sum_{i=1}^{N} X_i}{N}$

Geometric mean: used to calculate compound growth rate. $R_G = [(1 + R1) (1 + R2) \dots (1 + Rn)]^{1/n} - 1$

Weighted mean: different observations are given different weights as per their proportional influence on the mean. $\overline{X}_{w} = \sum_{i=1}^{n} w_{i} X_{i}$

Harmonic mean: used to find average purchase price for equal periodic investments. $X_{\rm H} = n / \sum_{i=1}^{n} \left(\frac{1}{x_i}\right)$

Position of a percentile in a data set: Ly = (n+1) y /100

Range = maximum value – minimum value

Mean absolute deviation (MAD): average of the absolute values of deviations from the mean. MAD = $\left[\sum_{i=1}^{n} |X_i - \overline{X}|\right]/n$

Variance: mean of the squared deviations from the arithmetic mean.

Population variance $\sigma^2 = \sum_{i=0}^{N} (X_i - \mu)^2 / N$	Continuously compounded rate of return: r = ln (HPR +1)
Sample variance $s^2 = \sum_{i=0}^{n} (X_i - \overline{X})^2 / (n-1)$	Sampling distribution: If we draw samples of the same size several
	times and calculate the sample statistic. The sample statistic will be
Standard deviation: square root of variance.	different each time. The distribution of values of the sample statistic is
C - C - i - t - f - c - i - t - i - t - c -	called a sampling distribution.
Coefficient of variation: measures the risk per unit of return; lower unit of return; lower s	1 0
value is better. $cv = \frac{1}{\bar{x}}$	Sampling error: difference between a sample statistic and the
	corresponding population parameter.
Sharpe ratio: measures excess return per unit of risk; higher value is $\bar{R}_{r} = \bar{R}_{r}$	Sampling error of the mean $= \overline{x} - \mu$
better. $S_p = \frac{R_p - R_p}{S_p}$	
~ <i>p</i>	Central limit theorem: if we draw a sample from a population with mean u and variance σ^2 the compliant distribution of the complement.
Odds for an event = P (E) / [1 – P (E)]	μ and variance o ² , the sampling distribution of the sample mean:
Odds against an event = [1 – P (E)] / P(E)	• will have a mean of u
	• will have a variance of σ^2/n .
Multiplication rule: used to determine the joint probability of two	
events. $P(AB) = P(A B) P(B)$	Standard error of the sample mean: standard deviation of the
Addition rule: used to determine the probability that at least one of	distribution of the sample means.
the events will occur. $P(A \text{ or } B) = P(A) + P(B) - P(AB)$	• if population variance is known, $\sigma_{\overline{X}} = \frac{\sigma}{\sqrt{n}}$
Total probability rule , used to calculate the unconditional	• if population variance is unknown, $s_{\overline{v}} = \frac{s_{\overline{v}}}{s_{\overline{v}}}$
probability of an event given conditional probabilities	$\gamma \sim r$
$P(A) = P(A B_1)P(B_1) + P(A B_2)P(B_2) + + P(A B_n)P(B_n)$	Confidence intervals : range of values within which the actual value
	of the parameter will lie with a given probability.
Covariance: measure of how two variables move together.	• if nonverticing variance is known $CI = \overline{X} + \overline{g}$
Cov(X,Y) = E[X - E(X)][Y - E(Y)]	• If population variance is known, $CI = X \pm \frac{z_{\alpha/2}}{\sqrt{n}}$
	• if population variance is known, $CI = X \pm t_{\alpha/2} \frac{3}{\sqrt{n}}$
Correlation: standardized measure of the linear relationship between	
two variables; covariance divided by product of two standard	Null hypothesis (H ₀): hypothesis hat the researcher wants to reject.
Corr (X Y) = Cov (X Y) / σ (X) σ (Y)	It should always include the share rual to' condition.
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Expected value of a random variable: probability-weighted average	prov
of the possible outcomes of the random variable.	no to lade ata we are passing if the value of a nonulation
$E(X) = X_1P(X_1) + X_2P(X_2) + + X_nP(X_n)$	r came r is greater t can or less than a hypothesized value
	The shall dispersive and accessing if the value of a normalitien
Expected returns and the variance of a 2-asset portfolio $E(\mathbf{P}) = m E(\mathbf{P})$	nar meter s different from a hypothesized value
$E(R_P) = W_1 E(R_1) + W_2 E(R_2)$ $\sigma^2(P_P) = W_2 \sigma^2(P_P) + W_2 \sigma^2(P_P) + 2W_2 W_2 O(P_P - C_P) \sigma(P_P)$	par inclei is unicient nom a hypothesized value.
0° (R_{p}) = W_{1}° 0° (R_{1}) + W_{2}° 0° (R_{2}) + 2 $W_{1}W_{2}$ p (R_{1} , R_{2}° 0 - R_{1}) 0 (R_{1}	Test statistic calculated from sample data and is compared to a
Bayes' formula: used to update the probability of a lever ased in	critical value to decide whether or not we can reject the null
now information $P(F I) = \frac{P(I E)}{P(I E)} \times P(I)$	hypothesis.
new information. $r(E I) = \frac{P(I)}{P(I)} \times r(I)$	$z - statistic = \frac{\overline{X} - \mu_0}{\sqrt{2}}$
Presente deserves of a bin service beneficial as a service below of	σ/vn v.
Expected value of a binomial variable = $np(1,n)$	$t - statistic = \frac{x - \mu_0}{s / \sqrt{n}}$
Probabilities for a binomial distribution $P(x) = {}_{n}C_{x}p^{x}(1 - p)^{n-x}$	Type I error : reject a true null hypothesis.
	Type II error: fail to reject a false null hypothesis.
Probabilities for a continuous uniform distribution	$\mathbf{L}_{\mathbf{r}} = \mathbf{L}_{\mathbf{r}} + $
$P(x_1 \le X \le x_2) = \frac{x_2 - x_1}{b - a}$	Level of significance $(\alpha) = (1 - \text{level of confidence}) = P(1)pe(1)error)$
	rower of a test – 1 – r (Type If effor)
Normal distribution : completely described by mean (μ) and variance	Types of test statistics
(σ^2) . Has a skewness of 0 and a kurtosis of 3.	One population mean: use t-statistic or z-statistic
Confidence intervals for a normal distribution are:	Two population mean: use t-statistic
• 90% of all observations are in the interval x ± 1.65s.	One population variance: use Chi-square statistic
• 7570 of all observations are in the interval $x \pm 2.50$.	Two-population variance: use F-statistic
	Technical Analysis
Computing 7-scores (std normal distribution): 7 – $\frac{(X-\mu)}{2}$	Charts: line har candlestick point & figure volume
$\frac{1}{\sigma}$	Devenuel netterne, boad & abouldors increase head & abouldour
Safety first ratio: used to measure shortfall risk: higher number is	<u>Reversal patterns</u> : nead & snoulders, inverse nead & snoulders, double /triple tops & bottoms
Survey in section, used to measure shortdan risk, inglier nulliber is $E(R_P) - R_T$	Continuation nothernes twice also nested also for a second second
preserved. $\sigma_{\rm P}$	<u>continuation patterns</u> : triangles, rectangles, flags, pennants.



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